

ROLLING MOTION

- A body is rolling without slipping on a horizontal surface and its rotational kinetic energy is equal to the translational kinetic energy. The body is:
(a) Disc (b) Sphere (c) Cylinder **(d) Ring**
- A thin uniform circular ring is rolling down an inclined plane of inclination 30° without slipping. Its linear acceleration along the inclined plane will be:
(a) $g/2$ **(b) $g/4$** (c) $g/3$ (d) $3g/4$
- A disc is rolling. The velocity of center of mass is v_{cm} . Which of the following statements is correct:
(a) Velocity of highest point is $2 v_{cm}$ and point of contact is zero (b) Velocity of highest point is v_{cm} and point of contact is v_{cm} (c) Velocity of highest point is $2 v_{cm}$ and point of contact is v_{cm} (d) Velocity of highest point is $2 v_{cm}$ and point of contact is $2 v_{cm}$
- The speed center of mass of a solid cylinder after rolling down an inclined plane of vertical height h , from rest is:
(a) $\sqrt{\frac{10}{7}gh}$ (b) $\sqrt{\frac{6}{5}gh}$ (c) \sqrt{gh} **(d) $\sqrt{\frac{4}{3}gh}$**
- A body of mass m slides down an incline and reaches the bottom with a velocity v . If the same mass were in the form of a ring which rolls down this incline, the velocity of the ring at the bottom will be:
(a) v (b) $\sqrt{2}v$ **(c) $v/\sqrt{2}$** (d) $2v$
- A sphere of mass M rolls without slipping on an inclined plane of angle θ . What should be the minimum coefficient of friction, so that the sphere rolls down without slipping:
(a) $\frac{2}{5} \tan\theta$ **(b) $\frac{2}{7} \tan\theta$** (c) $\frac{5}{7} \tan\theta$ (d) $\tan\theta$
- A thick walled hollowed sphere has outer radius R . It rolls down inclined plane without slipping and speed at the bottom is v . If the inclined plane is frictionless and the sphere slides down without rolling, its speed at the bottom will be $5v/4$. What is the radius of gyration of the sphere:
(a) $R/\sqrt{2}$ (b) $R/2$ **(c) $3R/4$** (d) $\sqrt{3}R/4$
- A ring of radius R slides down an inclined plane and reaches the bottom with speed v . If the radius of the ring is doubled keeping its M.I. constant, the speed at the bottom of the inclined plane will be:
(a) $2v$ (b) $v/2$ (c) $v/\sqrt{2}$ **(d) v**
- A body rolls without slipping. The radius of gyration of the body about an axis passing through its center of mass is k . If the radius of the body be R , then what is the ratio of rotational kinetic energy to total kinetic energy:
(a) $k^2 + R^2$ (b) $\frac{k^2}{R^2}$ **(c) $\frac{k^2}{k^2+R^2}$** (d) $\frac{R^2}{k^2+R^2}$
- A circular disc of mass m and radius R is rotating about its axis with uniform speed v . What is its kinetic energy: (a) mv^2 (b) $\frac{1}{2} mv^2$ **(c) $\frac{1}{4} mv^2$** (d) $\frac{1}{8} mv^2$